

9 boys can sit in $9!$ Ways. For 7 girls there are 10 place, so girls can sit in ${}^{10}P_7$ ways.

So that total number of ways = ${}^{10}P_7 \times 9! = \frac{10!}{3!} \times 9!$

21. (b) $n(S) = {}^{21}C_2 = 210$

$n(E) = {}^7C_2 + {}^6C_2 + {}^8C_2 = 21 + 15 + 28 = 64$

So that $P(E) = 64/210 = 32/105$.

22. (a) Number of girls = 1

Number of boys = 4.

Number of ways = ${}^5C_1 \times {}^7C_4 = 5 \times 35 = 175$

23. (c) The probability of A's losing any single game = $1 - 1/3 = 2/3$

And the probability of A's losin al the 3 games = $\left(\frac{2}{3}\right)^3 = \frac{8}{27}$

The probability of A's winning at least one game

= $1 - \frac{8}{27} = \frac{19}{27}$